## Symbols and notation for construction logs - REFERENCE

## Notation:

Points: A, B, C, ...

Rays: $\overrightarrow{A B}, \overleftarrow{X Y}$
Direction of the arrow indicates the ray's origin (in this example, point $A$ and $Y$ are the origin (endpoint)).

Lines: $\overleftrightarrow{A B}, \overleftrightarrow{X Y}$ or $\mathrm{a}, \mathrm{p}, \ldots$

Angles: $\angle \mathrm{AVB}$ or $\alpha, \beta, \gamma, \delta, \theta, \omega, \ldots$ The vertex of the angle is always listed in the middle.

Line Segments: $A B, X Y$ or $a, b$,

Circles: k, l, m, ...;
when specifying center and radius use parentheses: $\mathrm{k}(\mathrm{C}, \mathrm{AB})$ or $\mathrm{k}(\mathrm{C}, 3 \mathrm{~cm})$

## Symbols:

| "such that": | Belongs to, Lies on $: \in$ | Does not belong to: $\notin$ |
| :--- | :--- | :--- |
| Intersection: $\cap$ | Union: $\cup$ | Perpendicular: $\perp$ |
| Parallel: $\\|$ | AND $: \wedge \underset{\text { (logical connectives) }}{ }$ | Midpoint: |

## Useful examples:

| $\mathrm{X}, \mathrm{Z} \mid\{\mathrm{XY}\}=\mathrm{k} \cap \overrightarrow{A B}$ | Mark two points $X, Z$ at the intersections of the circle $k$ and ray $A B$ |
| :---: | :---: |
| $p \mid p \perp n \wedge P \in p$ | Draw a line $p$ such that it is perpendicular to a (given) line $n$ and goes through a (given) point $P$ |
| $\mathrm{M} \mid \mathrm{M}=\mathrm{A} \bullet \mathrm{B}$ | Construct a point $M$ as the midpoint between $A$ and $B$ |
| $k \mid k(C, r)$ | Construct a circle k with the center C and any radius r |
| $\mathrm{k} \left\lvert\, \mathrm{k}\left(\mathrm{C}, r>\frac{\|A B\|}{2}\right)\right.$ | Construct a circle k with the center C and a radius greater than a half of the length of line segment $A B$ |
| 1. $k \mid k(C, r)$ <br> 2. $m \mid m(B, r)$ | Construct two circles $k$ and $m$ centered at $C$ and $B$ and with the same radius $r$ |
| 1. $k \mid k(C, r)$ <br> 2. $m \mid m\left(B, r^{\prime}\right)$ | This indicates that the two circles may have different radii |
| 1. $k \mid k(C, r)$ <br> 2. $m \mid m\left(B, r^{\prime} \neq r\right)$ | This indicates that the two circles must have different radii |

If you need to indicate measures, the "absolute value" symbol:

| $A B\|\|A B\|=3 \mathrm{~cm}$ | Construct a line segment $A B$ whose length is 3 cm |
| :--- | :--- |
| $\angle A V B\left\|\|\angle A V B\|=60^{\circ}\right.$ | Construct an angle $A V B$ ( $V$ is the vertex) the measure of which is $60^{\circ}$ |

You do not need to use the „absolute value" sign when using lowercase or greek letters:
$\alpha \mid \alpha=35^{\circ}$
Construct an angle $\alpha$ measuring $35^{\circ}$
b | $b=5 \mathrm{~cm}$
Construct a line segment b measuring 5 cm

