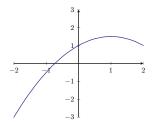
1. Do but don't turn in: memorize the formula for the *n*th-degree Taylor Polynomial for f(x) centered at x = a:

$$T_n(x) = f(a) + f'(a)(x-a) + \frac{f''(a)}{2}(x-a)^2 + \frac{f'''(a)}{3!}(x-a)^3 + \dots + \frac{f^{(n)}(a)}{n!}(x-a)^n$$
$$= \sum_{i=0}^n \frac{f^{(i)}(a)}{i!}(x-a)^i$$

- 2. Find the 4th degree Taylor polynomial for $\tan x$ centered at x = 0.
- 3. The function f(x) is approximated near x = 0 by the 3rd degree Taylor polynomial $T_3(x) = 4 3x + \frac{x^2}{5} + 4x^3$. Give the values of f(0), f'(0), f''(0) and f'''(0).
- 4. Find the 10th degree Taylor polynomial centered at x = 1 of the function $f(x) = 2x^2 x + 1$.
- 5. Here's a graph of f(x):



If the 2nd-degree Taylor polynomial centered at a = 0 for f(x) is $T_2(x) = ax^2 + bx + c$, determine the signs of a, b and c.

- 6. Show your work in an organized way.
 - (a) Find the 7th degree Taylor polynomial centered at a = 0 for sin(x).
 - (b) Use $T_7(x)$ to estimate $\sin(3^\circ)$. Don't forget to convert to radians.
 - (c) Compare your answer to the estimate for $\sin(3^\circ)$ given by your calculator or other technology. How accurate were you?
- 7. This problem asks for Taylor polynomials for $f(x) = \ln(1+x)$ centered at a = 0. Show your work in an organized way.
 - (a) Find the 4th, 5th and 6th degree Taylor polynomials for f(x) centered a = 0.
 - (b) Find the nth degree Taylor polynomial for f(x) centered a = 0, written in expanded form.
 - (c) Find the nth degree Taylor polynomial for f(x) centered a = 0, written in summation notation.
 - (d) Use the 7th degree Taylor polynomial to estimate $\ln(2)$.
 - (e) Compare your answer to the estimate for $\ln(2)$ given by your calculator. How accurate were you?

- (f) Looking at the Taylor polynomials, explain why this estimate is less accurate than the estimate in the previous problem for $\sin(3^{\circ})$.
- 8. Do, but don't turn in: memorize the *n*th degree Taylor polynomials centered at a = 0 for e^x , sin(x), cos(x), ln(1+x) and $\frac{1}{1-x}$. Be able to write each of them down with ease in both expanded form and sigma-notation.